BASIC FEATURES OF THE PREDICTIVE TOOLS OF EARLY WARNING SYSTEMS FOR WATER-RELATED NATURAL HAZARDS: EXAMPLES FOR SHALLOW LANDSLIDES

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ABSTRACT To manage natural risks, an increasing effort is being put in the development of early warning systems (EWS), namely, approaches facing catastrophic phenomena by timely forecasting and alarm spreading throughout exposed population. Research efforts aimed at the development and implementation of effective EWS should especially concern the definition and calibration of the interpretative model. This paper analyses the main features characterizing predictive models working in early warning systems, by discussing their aims and, consistently, their features in terms of model accuracy, evolution stage of the phenomenon at which the prediction is carried out, and model architecture. Original classification criteria based on these features are developed throughout the paper and shown in their practical implementation through examples referred to flow-like landslides and earth flows, both characterized by rapid evolution and quite representative of many applications of EWS.
1. Introduction

Different natural hazards turning into catastrophes have occurred widespread in Italy in the recent past as well as in the last centuries. Seismic and volcanic phenomena have affected sporadically large areas, while rainfall-induced landslides, floods and snow avalanches have frequently hit sites spread all over the territory. Structural mitigation approaches are inapplicable throughout the entire territory at risk and might be planned only for areas relevant from a socio-economic point of view.

Hence, to manage natural risks, an increasing effort is being put in the development of non-structural approaches, based on timely forecasting the catastrophic phenomena from precursors or indicators, so to early spread the alarm throughout the exposed areas (early warning) and temporarily eliminate or, at least, reduce the exposure of people, preventing or limiting victims (Basher, 2006). The increasing importance of Early Warning Systems (EWS) is testified by the fact that they are among the priorities adopted by the United Nations, International Strategy for Disaster Reduction (ISDR) (UN-ISDR, 2005; 2006).

EWS indeed present undeniable advantages, among which are their fast, simple and low-cost implementation, and environmental friendliness. Focusing on water-related hazards, significant examples of operational early warning systems are currently found in the field of floods, landslides, snow avalanches, earth fill failures. A recent review of EWS operating in Europe for water-related hazards can be found in Alfieri et al. (2012).

As it will be described in detail hereinafter, the architecture of an EWS is strictly related to the time needed for the deployment of the mitigation measures, compared to the time of evolution of the hazardous event. In this respect, EWS for floods present quite different features if they are established along large or small rivers. In the first case, rainfall measurements or predictions are supplemented with river stage measurements in upstream sections (e.g. Rabuffetti and Barbero, 2005), and flood routing models can be run in cascade of hydrological models (e.g. Cranston and Tavendale, 2012). The lead time of prediction, which depends on the length of the river and on the extension of its catchment, can extend up to several days or weeks. In the case of small streams, the time lapse between rainfall and peak discharge may be so short that weather nowcasting is needed for the warning to be launched in due time (e.g. Alfieri and Thielen, 2015; de Saint-Aubin et al., 2016).

So far, most of the EWS dealing with rainfall-induced landslides are based on rainfall measurements, sometimes supported by weather forecasts (e.g. Keefer et al., 1987; Ponziani et al., 2012), rarely integrated with monitoring of some soil variables (e.g. Ortigao and Justi, 2004; Chleborad et al., 2008; Baum and Godt, 2010). Rainfalls are
interpreted often merely statistically, with an empirical quantification of rainfall thresholds for landslide initiation (e.g. Sirangelo and Versace, 1996; Sirangelo and Braca, 2004; Guzzetti et al., 2007, 2008; Capparelli and Tiranti, 2010; Tiranti and Rabuffetti, 2010; Martelloni et al., 2012; Segoni et al., 2014; Tiranti et al., 2014; Piciullo et al., 2016). In rare cases, physically based approaches are adopted for the interpretation of the effects of rainfall history. The few examples of inclusion of slope infiltration and stability modelling in the assessment of the safety conditions are mostly still at a prototypical stage (e.g. Schmidt et al., 2008; Capparelli and Versace, 2011; Ponziani et al., 2012; Eichenberger et al., 2013; Pumo et al., 2016).

EWS operating for snow avalanches monitor snow accumulation and the melting processes, with the former basing essentially on interpreting precipitation and air temperature records, and the latter on air (or snow) temperature (e.g. Liu et al., 2009).

Even in the field of man-made systems, early warning is assuming a prominent role in the assessment of the risk associated with failure. For instance, in the field of earth dams, with regard to all possible collapse mechanisms, i.e. slope instability and internal erosion phenomena, or even earthquake-induced effects, risk mitigation is de-facto based on early warning systems (e.g., Pagano & Sica, 2013; Ma and Chi, 2016). The wide monitoring system commonly installed to characterize time-by-time the behavior of these structures, carried out essentially in terms of displacements, pore water pressure, seepage flows, and accelerations, is pointed towards a continuous checking of dam safety conditions, aimed at evacuating downstream settlements in case of predicted collapse.

Literature indicates that common elements, which typically characterize an early warning system (e.g. Intrieri et al., 2012; Intrieri et al., 2013; Calvello and Piciullo, 2016), are:

1. **a field monitoring system**, recording physical quantities related to the phenomenon in hand, and transmitting them to a collection-elaboration center; measured variables may conveniently be distinguished into two categories: *cause variables*, leading to the initiation of the phenomenon; *effect variables* that, affected by the formers, characterize the phenomenon itself during its evolution and at its triggering, allowing also to recognize its intensity;

2. **an interpretative model**, formalizing mathematically the relationships linking cause and effect variables, allowing to catch the evolution stage of the phenomenon and assess system safety conditions;
3. **thresholds** for the variables related to safety conditions of the system; these thresholds correspond to different alert levels, with the highest one activating the spread of the alarm message, aimed at eliminating people exposure;

4. different **actions** related to each alert level defined at 3.

Research efforts aimed at the development and implementation of effective EWS should concern, above all, the definition and calibration of the interpretative model (Michoud et al., 2013). It should be as accurate as possible and, at the same time, capable of rapidly carrying out the turning of the monitored quantities into the assessment of system safety conditions. In many applications, dealing with rapidly evolving natural hazards, a real-time working system is in fact required, in order to maximize the lead time available for people exposure elimination.

Aim of the paper is to address the main features of predictive models for water-related natural hazards. As the proposed frame is quite general and applicable to other types of natural hazards, references will be briefly made throughout the paper also to applications different from water-related hazards. In particular, based on the precise definition of the aims of the EWS, this work addresses the importance of identifying the evolution stage of the catastrophic event at which the prediction should be implemented, so to maximize its effectiveness. For the first time the evolution stage at which the predictive model is implemented is considered as one of its features, along with the other traditional approach distinguishing between physically- or empirically-based models.

In principle, any predictive model might be referred to any spatial scale, which is thus not considered as a valid classification element for EWS models. Rather, the classification criteria proposed throughout the paper may be referred to all scales. The choice to show specific examples all referred to rainfall-induced landslides at a slope scale is not performed in the light to reduce generality to the proposed criteria but, rather, in the attempt to select an application field which representativeness poses challenges extendible to other natural phenomena.

**2. Prediction uncertainty and the minimization of the costs of missing and false alarms of an EWS**

Whatever the predictive model adopted, it will never be capable of providing certainty about the occurrence of a catastrophic event. A model yields variables systematically affected by a given uncertainty degree due to the following possible causes:
- incompleteness of information about the physical system supposed to cause catastrophes;
- various error types associated with the measurements provided by the monitoring system;
- unavoidable simplifications of reality introduced in the predictive model;
- randomness of some of the processes involved in the genesis of the catastrophic event.

It is obvious that all the uncertainties of the predicted variables related to the physical system safety affect the assumption of different alert stages. With reference to the last stage, it may occur that the early warning system issues an alarm, but no dangerous phenomenon occurs (false alarm) or, conversely, that a dangerous phenomenon takes place without any issued alarm (missing alarm). Both false and missing alarms result into costs for the community supplied with the EWS. A lower uncertainty degree in the prediction is required to minimize their number and, consequently, costs during the system operation. Efficiency of the EWS is therefore considered with respect to its economic value for the community, rather than merely to the provided safety performance. In this sense, alarm activation has to account for the uncertainties associated with each alert threshold and its overcoming, so to minimize false and missing alarms and related costs.

Decisional rules regarding actions associated with each alert threshold should be based not only on the mere quantification of thresholds themselves, but also on criteria defining the sensitivity of the EWS, intended as setting the activation of the system at some probability of a given threshold to be exceeded.

The most suitable strategy to quantify such probability of threshold exceedance cannot be generalized. It is in fact strongly affected by the following peculiarities characterizing the EWS in hand:

- the uncertainty of the prediction, which may be reduced by increasing the initial investment (by preliminary acquiring more information about physical system features, implementing a more reliable monitoring system with higher spatial and temporal resolution, elaborating a more sophisticated and accurate predictive model);
- the costs suffered by the community in case of false alarm, in turn depending also on the kind of actions planned in case of threshold exceedance;
- the costs resulting from a missing alarm, depending on both the event (type and intensity) and resilience of the exposed goods (related to their nature as well as to socio-economic aspects).
In setting up the sensitivity of the EWS, it should be taken into account that too many false alarms would discredit the system, implying that, over time, the served community would contribute less in carrying out all the required actions after alerts. In short, the sensitivity has to be calibrated on the basis of a cost-benefit analysis, which can be properly carried out only if the uncertainty of model predictions can be estimated after an adequate period of monitoring of the physical system.

3. Evolution stages of a natural hazard: when should the model do the prediction?

In order to generalize a typical architecture for the predictive model, it comes useful to account for a conventional sequence of stages describing the evolution of a natural phenomenon resulting into a catastrophe (Figure 1):

(a) the predisposing stage: the cause variables are subject to such changes to induce significant modifications of effect variables;
(b) the triggering and propagation stage: the failure occurs locally (triggering time) and propagates from point to point throughout the physical system up to involve it entirely;
(c) the paroxysmal stage: the physical system collapses and the kinematics of the system goes on, eventually hitting the exposed goods.

The duration of each stage may greatly vary, depending on both the kind of phenomenon and on the features of the physical system involved.

In an earthquake hitting structures located at a given site “S”, the predisposing stage (a) is determined by the occurrence of the seismic event at the epicenter and is indicated by the first arrival of the seismic waves at the seismometers nearest to the epicenter. The triggering and propagation stage (b) is determined by acceleration values exceeding the threshold for first local damages to structural elements and is monitored by seismic stations located at “S”; the paroxysmal stage (c) consists of the collapse of parts of the structures. For this specific example, the duration of stages (a) and (b) is few tens of seconds, while the duration of stage (c) depends on the system considered, spanning from seconds for systems like buildings, rock slopes, gas conduits etc., until hours or even days for natural earth slopes, dams, and, in general, systems which collapse is determined by a slow redistribution or propagation of earthquake-induced effects.

In a rainfall-induced landslide, the predisposing stage (a) is determined by the sequence of rainfall events and by the hydrological processes leading to increase of pore water
pressure and worsening slope stability conditions (e.g. Bogaard and Greco, 2015). The
triggering and propagation stage (b) spans from the first local slope failure until the
formation of a slip surface. The paroxysmal stage (c) is the sliding of the mobilized soil
mass downhill along the slip surface. In this second example, the duration of each stage
is strongly related to the geomorphology of the specific slope, and may vary from
minutes (e.g., flow slides in slopes covered with shallow coarse grained soils) to even
years (e.g., earth flows in slopes of fine grained soils).

In a snow-avalanche, the predisposing stage (a) is determined by snow accumulation
and temperature increments; the triggering and propagation stage (b) starts when
local failures take place within the snow aggregate and ends with a slip surface
formation. The paroxysmal stage (c) starts when the mass slides downhill. In this
example, the duration of stage (a) may be of hours or days, depending on the evolution
of atmospheric variables, the duration of stage (b) results undetectable, and the
paroxysmal stage lasts only few seconds.

For the case of an overflow in a river, the predisposing stage (a) is a sequence of
precipitation events within the watershed, causing a progressive increase of the water
level along a branch of the river; in this case, the triggering and propagation stage (b)
and the paroxysmal stage (c) are hardly distinguishable from each other. In fact, both
stages start when the first local overflow takes place, and both develop with the flood
propagating around the river. The stage duration depends on the extension and
geomorphology of the watershed. The entire phenomenon may last tens of minutes
(e.g., flash floods in small streams with relatively small catchment) to several days (e.g.,
large rivers with large watershed).

It is also important to highlight that for most phenomena the triggering event has to be
considered as random and, as such, time and location of its occurrence can be predicted
only with a probabilistic approach. On the other hand, the predisposing stage can be
usually described with physical laws, so that its spatial and temporal evolution can be
predicted deterministically by mathematical models.

For instance, the strategies followed for early warning with respect to snow avalanches
(e.g., Bakkeoi, 1987) neglect the detection of any possible triggering factor. These may
be internal to the physical system (related to some peculiar morphologies favoring the
susceptibility to local failures) or external (e.g., a skier path cutting transversally the
snow layer slope or a rock-mass falling onto the layer). The randomness of such kind of
triggering factors makes them undetectable and useless for early warning purposes.
However, it should be noted that these factors may become effective only if a
predisposing state takes place in terms of snow layer thickness and temperature. This
leads to define the different alert levels on the basis of these two variables, for which experimental quantification is easy and reliable. Consequently, the warning does not deal with exactly identifying when, where and what specific triggering factor might generate an avalanche.

In general, early warning prediction can be carried out during any of the above-defined evolution stages. The choice of the particular stage should obviously consider that elapsed times needed to predict the event, spread the alarm and reduce people and goods exposure must not exceed the time after which the destructive event occurs. On the other side, the limited time available in-between prediction and event should indicate which kind of actions could be reasonably carried out. So, only in some cases it will be possible to consider the opportunity to evacuate all buildings of an entire neighborhood or forbid all exposed streets to traffic and people access. In some cases, the small available time only allows some short actions, such as the interruption of dangerous supplied services (gas and electricity) or closure of important infrastructures highly exposed, such as railways or highways.

The first step that has to be followed in the development of the predictive tool is hence the detailed study of the mechanisms that control the evolution of the phenomenon in hand, and identify which phenomenon stage is the most suitable for the assessment of safety conditions. For some problems, the choice necessarily falls into a specific stage, while for others the choice may be multiple. For instance, the slow kinematics of landslides in fine grained soils allows to place the predictive tool in any of the above defined three stages, while the rapid kinematics of rainfall-induced landslides in coarse grained soils prevents considering the paroxysmal stage.

4. The architecture of the predictive model

The second step of the development of the predictive tool is choosing the interpretative model. Promptness and reliability are mandatory requirements of the prediction. The promptness is usually obtained by introducing model simplifications, which should however not imply excessive accuracy losses, because they would increase uncertainties and, consequently, false and missing alarms. An increase of model complexity usually corresponds to a reduction in the observational scale of the phenomenon. Complex models can only be applied to slope scale problems, while, increasing the observational scale from local to regional, progressive simplifications have to be introduced in the model and, consistently, less ambitious goals have to be set in terms of reliability.
The wide variety of applications for EWS makes it difficult to generalize criteria to guide the choice of the predictive model. It is only possible to refer to some classification criteria, aiming at clarifying the philosophy of the chosen approach, and what ingredients it requires for its best implementation.

A first classification criterion distinguishes between empirical and physically-based models. Empirical models extract relationships among cause and effect variables from available monitoring data taken over a prolonged time interval. Once set up the empirical relationships, they typically do not take into any account the physics governing the phenomenon. Their reliability essentially depends on the amount, accuracy and representativeness of the available data-set.

On the other hand, physically-based models relate cause and effect variables through mathematical relationships derived straightforwardly from the physical principles governing the considered phenomenon. The mathematical description of the model typically involves the assumption of simplifications that strongly affect the accuracy of the prediction.

These two categories may also be used contextually in setting up predictive tools consisting of physically-based as well as of empirical steps.

The second criterion of classification refers essentially to physically-based models, and is strictly related to the need for a rapid prediction. It distinguishes between on-line and out-of-line predictions. The former consist in real-time solving of the model equations, updated continuously over time with changes in boundary conditions indicated by field monitoring. The latter, instead, define simple mathematical equations or abaci relating cause and effect variables, by solving the governing equations preliminarily for a number of possible scenarios in terms of initial and boundary conditions (e.g., Pagano & Sica, 2013). These simple mathematical equations or abaci represent the predictive tools adopted to rapidly interpret the data from field monitoring.

Strictly related with the selection of the model is, finally, the design of the monitoring system. It has to be consistent with all the choices made about the previously illustrated points. The considered specific stage of phenomenon evolution, as well as the choice of the predictive model, unequivocally identify the physical variables to be monitored, their location and, finally, the number of measurement points.

In the following sections, the different features above highlighted will guide along the illustration of some application cases developed in the field of rainfall-induced flow-like landslides.
5. Examples of set up and calibration of the predictive tool for early warning

In Italy the destructive potential of rainfall-induced rapid flowslides and debris flows is sadly known. The significance of the problem in terms of number of events and victims becomes clear by merely referring to the disasters occurred over the last years in Campania (Cascini & Ferlisi, 2003, Calcaterra et al., 2004; Pagano et al., 2010; Santo et al., 2012), Piedmont (VillarPellice, occurred in 2008), Liguria (Cinque Terre, occurred in 2011) and Sicily (Maugeri et al., 2011). The rapid kinematics characterizing the post-failure behavior of these phenomena implies that the setup of an early warning system may not rely on the analysis of the short-lasting paroxysmal stage (Figure 2).

Exception is made for early warning systems implemented along some roads or railways, where the probability that the sliding mass detaching from a slope directly impacts vehicles is small, while the probability that vehicles crash against previously fallen mass obstructing the road is much higher. In such cases, the alarm might be launched in case of the feared road invaded by fallen masses. Hence, the alarm itself could be based on promptly gathering the occurrence of slope instabilities by carrying out monitoring of displacements, and inhibiting road access in case of recorded movements exceeding some threshold (Mannara et al., 2009).

If the exposed goods are instead likely to be directly impacted by the sliding mass, the triggering of the instability must be predicted in due advance. The time span required to reduce exposure, typically some hours, implies that the prediction should be based on monitoring and interpretation of triggering precursors, carried out already during the predisposing stage.

The phenomena in hand typically involve the mobilization of shallow covers rarely exceeding 2 meters in thickness, induced by rainfall infiltration and related suction drop. Further physical variables governing the phenomenon are effect variables describing soil cover wetting (e.g. degree of saturation, water content, water storage).

The predictive tool may be built on empirical bases whereas, for the reference geographical context, historical rainfall related to their effects are available. Alternatively, it is possible to adopt physically-based approaches through which turning at any time rainfall into effect variables related to slope stability conditions. Different levels of these effect variables or, alternatively, of slope stability indices derived from them, may be chosen as the alert thresholds of the early warning system. If the mathematical model of the slope has been properly simplified, it may be possible to operate “on line” by performing model simulations in few minutes.
Recent advances in field monitoring of effect variables, in particular soil suction and/or water content, nowadays offer an alternative approach to the interpretation of rainfall effects. Sensors like tensiometers, heat dissipation probes and TDR probes, in principle could directly deliver all the effect variables needed for the assessment of slope stability conditions. However, the spatial variability of soil properties likely makes an EWS relying only on field monitoring of effect variables unreliable. Field data are in fact always affected by local issues, and so they are poorly representative of the whole monitored area, unless an extremely rich network of sensors is installed, which in most cases is unfeasible. Hence, field monitoring should be deployed supplementing, rather than replacing, the estimation of effect variables by means of a more or less simplified estimation of rainfall effects.

The following application examples refer to single slopes, with extension of few hectares, located in the Lattari Mountains (Campania, southern Italy) and in the basin of Stura di Lanzo (Piedmont, northern Italy).

As already pointed out in the Introduction section, the choice of presenting examples all referred to slope scale does not imply that the proposed classifications and procedures are limited to this case. The scale of the system does not intrinsically relate to model features but, rather, to the spatial resolution of the available input data, which affects the entire structure of the EWS. In the following examples, the choice of the slope scale is indeed made to show how, when high resolution data are available, the adopted models and procedures for their calibration could be different and, in principle, applicable to any scale.

5.1 Empirical approach based on rainfall records

The example herein reported refers to the chain of Lattari Mountains and, in particular, to an area spreading in-between the towns of Pagani and Nocera Inferiore (Campania, southern Italy). An intensely fractured calcareous bedrock covered by silty volcanic soils characterizes the geology of the site. Volcanic covers have formed due to pyroclastic air-fall deposits generated by eruptions, mainly those of the volcanic complex of Somma-Vesuvius, occurred over the last 40000 years. Several rainfall-induced flow-like landslides have interested these covers over centuries. Numerous phenomena also occurred in the recent past, usually triggered along slopes with inclination angle between 30° and 40°.

A pluviometer installed in 1950, around 3 Km far from the downslope area, provides a daily rainfall series spanning over 50 years (Pagano et al., 2010). During this period,
three significant flow-like landslides occurred in 1960, 1972 and 1997. Daily rainfall heights triggering the three phenomena were 87, 77 and 110 mm, respectively. Figure 3 shows all the observed daily rainfall heights larger than the minimum value followed by a landslide (h_{dl}=77mm; h_{dl}= minimum daily rainfall associated with a landslide), plotted in ascending order. It may be noticed that the condition h_{ds}>h_{dl} (h_{ds}=significant daily rainfall, with “significant” intended as exceeding h_{dl}) was met 39 times, but only twice a landslide was actually triggered. This low correspondence between daily rainfalls and landslides depends on the existence of additional influencing factors, related to the conditions of the soil cover at the onset of triggering rainfall, which are neglected if only daily rainfall height is considered. Antecedent precipitation, in particular, is supposed to play a crucial role, as it determines the amount of water stored in the cover and lowering soil suction significantly, before the crucial suction drop induced by the triggering rainfall. The effects of antecedent precipitations may be taken into account by assuming that, besides the rainfall directly triggering the event (usually identified with rainfall fallen during the last day), they also play an important role in establishing the predisposing conditions for the triggering of a landslide. The duration “x” of the antecedent period may be chosen as the one minimizing the number of events (h_{ds}, h_{x}) characterized by h_{x} similar to the antecedent precipitation, h_{xL}, accumulated before the three observed landslides. The minimization yielded x=2 months. This corresponds to h_{2mL} values for all three landslides of about 500 mm. Over the reference period only 5 rainfall histories (h_{ds}, h_{2m}) resulted similar to the three (h_{DL}, h_{2mL}) which were followed by a landslide. If this double threshold criterion had been virtually implemented as early warning criterion in the considered area, it would have produced 5 false alarms over 50 years.

5.2 Stochastic approach

Few examples of real-time predictions of the probability of triggering of rainfall-induced landslides in a small area (i.e. a slope or a small catchment) can be found in the literature (e.g. Sirangelo and Versace, 1996; Sirangelo and Braca, 2004; Schmidt et al., 2008; Greco et al., 2013; Capparelli et al., 2013; Terranova et al., 2015; Manconi and Giordan, 2016; Ozturk et al., 2016). This is due to the intrinsic difficulty of having available historical data sets of rain storms and corresponding landslides occurred in a small area, with enough data to allow reliable estimation of the probability of landslide triggering during extreme (and thus rare) rainfall events. Usually, only few landslides occur at a site during an observation period of typically some decades, so that probabilistic landslide initiation thresholds are mostly defined at regional scale, so to
have a rich data set of observed landslides (e.g. Terlien, 1998; Guzzetti et al., 2007; 2008; Jakob et al., 2012; Ponziani et al., 2012; Segoni et al., 2015; Iadanza et al., 2016). The use of physically based models of infiltration and slope stability can help in the prediction of slope response under conditions different from those actually encountered during the observation period, thus allowing the definition of site-specific landslide initiation thresholds (e.g. Arnone et al., 2011; Ruiz-Villanueva et al., 2011; Tarolli et al., 2011; Papa et al., 2013; Peres and Cancelliere, 2014; Posner and Georgakakos, 2015; Greco and Bogaard; 2016), which can be useful for carrying out stochastic predictions. However, the application of such physically based approaches in operational early warning systems still suffers the involved computational burden, which makes difficult carrying out in real time the calculations required for landslide probability assessment. Consequently, empirical models of the relationship between rainfall and slope stability are still preferred for early warning purposes (Sirangelo and Braca, 2004; Greco et al., 2013; Manconi and Giordan, 2016; Ozturk et al., 2016).

An example of setting up an early warning predictive tool taking into account the uncertainty of the prediction has been developed by coupling a stochastic predictive model of precipitations (Giorgio and Greco, 2009) with the empirical model FLaIR (Sirangelo and Versace, 1996), which yields predictions of the triggering time for rainfall-induced landslides. The same coupling approach may be used with other recently proposed empirical models, such as GA-SAKe (Terranova et al., 2015).

The FLaIR model associates landslide triggering conditions with values of a mobility function \( Y(t) \), obtained by a convolution integral of the rainfall history \( R(t) \) with a suitable transfer function \( \psi(t) \), which allows to model a wide variety of geomorphological contexts, taking into account predisposing conditions generated by antecedent rainfalls (Iiritano et al., 1998; Sirangelo et al., 2003).

The choice of the transfer function and calibration of its parameters are carried out based on the historical rainfalls data records in a way that the \( Y(t) \) function may result as a suitable proxy of slope stability conditions. In particular, parameters are calibrated so that peaks of \( Y(t) \) correspond to historical landslides, so to identify a threshold \( Y_{cr} \) that, if exceeded, indicates landslide occurrence.

The FLaIR model is currently implemented as predictive model in early warning systems provided for different thresholds of attention, alert and alarm, corresponding to a progressive approach of \( Y(t) \) to the \( Y_{cr} \) threshold. As an example, for the case of Sarno (pyroclastic slopes in southern Italy) the three mentioned thresholds where suggested at values of \( 0.4Y_{cr} \), \( 0.6Y_{cr} \) and \( 0.8Y_{cr} \), respectively.
The coupling with a stochastic predictive model of rainfall allows adopting the FLAIR model as a predictor of the probability of occurrence of future landslides (Capparelli et al., 2013). In fact, the convolution integral may be separated into two parts, one deterministic, the other random. The first integral computes the convolution of the rainfall history $R_{\text{obs}}(t)$ until the time at which the prediction is carried out. The second integral computes the convolution of the rainfall history $R_{\text{pre}}(t)$ predicted for the future time interval $t_{\text{pre}}$, the upper bound of which represents the lead time of the prediction:

$$Y(t) = Y_{\text{det}} + Y_{\text{pre}} = \int_{-\infty}^{t-t_{\text{pre}}} \Psi(t-\tau)R_{\text{obs}}(\tau)d\tau + \int_{t-t_{\text{pre}}}^{t} \Psi(t-\tau)R_{\text{pre}}(\tau)d\tau \quad (1)$$

The prediction of $Y_{\text{pre}}$ is carried out by evaluating the probability conditioned to the trend of the rainfall observed before prediction. To this aim, the model DRIP (Disaggregated Rectangular Intensity Pulse) is adopted (Heneker et al., 2001). It defines, through an alternating renewal process, the observed alternation of rainfall and dry periods. This process guarantees, in fact, the stochastic independence of a rainfall event from the duration of the immediately preceding dry period as well as from the duration and the total rainfall height of the previous rainstorm. This allows carrying out the conditioned prediction $Y_{\text{pre}}$ by only taking into account the rainfall history observed during the current event, when the prediction is being carried out.

The prediction $Y_{\text{pre}}$ is carried out by a non-parametric approach, by selecting within the historical data set only the $N_i$ rainfall events meeting the following two conditions: their duration was equal or longer than the observed part of the current rainstorm; along a time interval as long as the lead time, $t_{\text{pre}}$, before the prediction, the mobility function increased in the same proportion as it occurred during the last observed $t_{\text{pre}}$ interval of the current rainfall event.

The rainfall events selected by following this procedure allow computing the expected value of $Y_{\text{pre}}$ and the probability that, at the end of the interval $t_{\text{pre}}$, the condition $Y>Y^*$ occurs, whatever $Y^*$. Hence, once alert and alarm thresholds of the mobility function are defined, the sensitivity of the early warning system can be adjusted by setting up the probability of threshold exceedance at which the relevant messages are launched (activation probability), so to obtain the best trade-off between false and missing alarms (Greco et al., 2013). Low values of the activation probabilities result in high number of alerts and alarms, and may lead to wrong activations of the system (false alert/alarms). Conversely, a less sensitive system unavoidably increases the number of erroneous non-activations of the system (missing alerts-alarms).

The choice of the more suitable values at which setting the activation probabilities represents an important and crucial feature in the setting of an effective early warning.
system. As already specified previously, the system sensitivity has to take into account all consequences relating with false and missing alarms. For the alert level, it is usually better to set a high sensitivity, since actions determined by alert activations usually do not imply high costs, nor a significant involvement of the served community. The same, however, cannot be stated for the alarm level, as the procedures resulting from alarm spreading usually imply high costs and discomfort for the community. As an example, evacuation of people involve stopping all activities and interruption of all infrastructures and services of public utility.

The described approach has been applied to the slope of Pessinetto, 40km North-East of Turin. The slope, oriented towards South-West, with inclination angle between 30° and 35°, is part of the watershed of the river Stura di Lanzo. It is constituted by a metamorphic bed-rock intensively fractured, covered by a clayey-silt. Six debris flows of different magnitude occurred there, within an area of about 1 km², from November 1962 to October 2000. The thickness of mobilized soils ranged between 1.5 and 2.0 m, with soil volumes between few hundreds to 10000 m³.

For the calibration of the stochastic model and of the alert system, the pluviometer data recorded in Lanzo, located 6.5 km east of the slope, were available. In particular, the calibration has been carried out by interpreting the hourly rainfall heights recorded between 1 January 1956 and 10 September 1991, during which four of the six recorded landslides occurred. The subsequent data, from 11 September 1991 to 15 June 2004, have been adopted to validate the predictive model and the performance of an EWS based on its predictions.

The critical value for the mobility function, estimated over the calibration period, was $Y_{cr} = 168.4$ mm.

The minimum duration of a dry period in-between two rainfall events has been set equal to 10 hours. By assuming only rainfall events exceeding 5 mm to be significant for early warning purposes, a series of 1102 rainfall events meeting the requirements in terms of stochastic independency was selected within the calibration period. These selected events were characterized by durations between 1 hour and 182 hours and rainfall heights between 5 mm and 615 mm (Greco et al., 2013).

The validation period of the EWS included 456 rain storms with rainfall heights exceeding 5 mm.

The EWS has been implemented through the definition of two different operational levels: an alert level and an alarm level. The alert triggers as soon as the mobility function is predicted to approach the value of $Y_a = 0.75Y_{cr}$ with a probability higher than
a predefined threshold $P_1$. The alarm is issued when the probability that $Y$ exceeds the critical value $Y_{cr}$ is higher than a second threshold $P_2$. Predictions are updated with a hourly frequency and refer to a lead time interval from 1 to 6 hour later than the prediction time.

Two examples of the potentiality of the predictions of the probability of exceeding the two defined thresholds are given for two rainfall events occurred during the validation period, both followed by landslides. In particular, the reported predictions were carried out with lead times of up to 5 hours.

The first event occurred between 22 and 25 September 1993, and $Y_a$ and $Y_{cr}$ were overtaken 54 and 58 hours after the beginning of the rain, respectively. A landslide was triggered after 60 hours. In the second example, a rainfall event occurred between the 12 and 15 October 2000, $Y_a$ was passed 39 hours after the beginning of the rain storm, $Y_{cr}$ after 45 hours, and the landslide occurred after 46 hours.

The effectiveness of the stochastic approach for early warning is shown in figures 4 and 5. The graphs give the probability of exceeding the alert and alarm thresholds in the following five hours, predicted in real time. During the two considered rainfall events, the system predicted high values of the probability of exceeding both thresholds several hours in advance. In particular, assuming the activation probabilities $P_1=P_2=0.3$, in both cases (25 September 1993, figure 4; 14 October 2000, figure 5) the alert would have been issued about 9 hours before the landslide, while the alarm would have been launched already 6 hours earlier than the triggering time.

Hence, by properly setting $P_1$ and $P_2$, the EWS would have been capable to issue, in both cases, the alert and alarm messages several hours before the actual landslide triggering.

Tables 1 and 2 show the influence of different choices for $P_1$ and $P_2$ on the performance of the EWS, evaluated in terms of total numbers of missing and false alerts and alarms during the entire validation period. It looks clear how the sensitivity of the early warning system depends on the chosen activation probability: higher probabilities correspond to larger numbers of missing alarms, and smaller numbers of false alarms.

The optimal choice of $P_1$ and $P_2$ should be identified by comparing the costs deriving from false and missing alerts and alarms, with the benefits of the true alarms. As already pointed out in the previous sections, such a cost-benefit analysis is of course peculiar of the particular considered case.

The capability of issuing the alert some hours earlier than the triggering time is a non-trivial feature of the system, when it is implemented to mitigate risks from phenomena characterized by a very rapid evolution, such as debris flows and other types of fast
landslides, as well as flash floods. In these cases, effective measures to prevent damages and victims may be successfully implemented only if the alarm is issued sufficiently earlier than the triggering time of the phenomenon.

5.3 Physically based approach

In the town of Nocera Inferiore a rain gauge, installed in 1997, recorded hourly rainfalls near the slope where on 4 March 2005 a large landslide was triggered (Figure 6). The slope had an inclination angle of 40° and was covered with a 2 meters thick layer of silty volcanic soils. Rainfall records are adopted in this example to validate a physically based approach (Pagano et al., 2010), suitable to take into account a number of known influencing factors (e.g. triggering event, antecedent precipitation, instantaneous rainfall intensity, evolution of potential infiltration) (Pagano et al., 2008; Rianna et al., 2014a).

In modelling the problem only factors considered of minor importance were neglected, according to Pagano et al. (2010). In particular, a one-dimensional infiltration problem through an unsaturated rigid medium was set through Richards equations, solved by the FEM code SEEP/W (GEOSLOPE 2004).

Hourly rainfall records were adopted to quantify boundary fluxes at the uppermost boundary, while at the lowermost boundary two different limit boundary conditions were assumed (Reder et al., 2017) to account for the possible effects exerted by the fractured bedrock on the silty volcanic cover: a seepage surface condition, which simulates the capillary barrier effect under the hypothesis that fractures are empty; a flux regulated by the unit gradient, which instead approaches the case of fractures filled with the same material as that constituting the cover. The hydraulic properties of the soil, i.e. water retention curve and hydraulic conductivity function, were obtained by means of laboratory tests (Nicotera & Papa, 2007), as well as by coupled measurements of soil matric suction (Jet-fill tensiometers) and volumetric water content (TDR) carried out in a lysimeter (Rianna et al., 2014b).

Results yielded by the analyses (Reder et al., 2017) in terms of suction evolution refer to the hydrological year 2004-2005 (Figure 7), which includes the landslide event. They clearly show how the predictions indicate a singularity at the triggering time, consisting in a drop of suction throughout the cover below 3kPa for both boundary condition-types assumed at the bottom. Analyses conducted for the whole historical series of recorded rainfalls, covering a time interval of 10 years including the landslide (Pagano et al., 2010), indicate that the same singularity is yielded by the prediction only once
more. Hence, if this singularity (suction below 3 kPa throughout the cover) had been adopted as an alarm criterion, the number of false alarms would have resulted significantly low. Furthermore, the short time required to update the prediction (few minutes) is consistent with the requirement of promptness of an EWS and allows carrying out “in line” predictions.

6. CONCLUSIONS

After preliminarily analysing the reasons which may lead a community to adopt an EWS, in place of structural approaches, to mitigate risks associated with natural hazards, the paper identifies the key elements of an EWS, which make it effective in accomplishing the task of continuously checking the safety of a system. In particular, the work highlights the importance of the accuracy of the prediction of the future evolution of the system, which is the feature allowing the minimization of false and missing alarms. Then, the definition of three evolution stages of natural hazards is proposed, so to set rational criteria to identify the time at which the prediction should be carried out within an EWS. In fact, depending on the characteristics of the hazardous phenomenon and on the time required for the prediction, the chosen stage should allow deploying in due time the actions aiming at reducing people and goods exposure.

Two further classification criteria are also adopted throughout the paper: the well-known distinction between empirical and physically-based models; and the distinction between on-line and off-line predictions, never adopted in the field of water-related natural hazards.

The practical application of the proposed evolution framing requires detailed physical knowledge of how the phenomenon develops over time and of the variables which can be used as a proxy of its evolution. This novel framework for EWS setting up attempts to bring some order in their design procedures, and is introduced with reference to various kinds of natural hazards, as in principle it is suitable of general application. Nonetheless, the paper is mainly focused on water-related natural hazards, and particularly to landslides, for which some application examples are given.

With reference to two different landslide phenomena, namely flow-like landslides and debris flows, both characterized by rapid evolution, the paper describes examples of application of the proposed framework. First, the considered natural hazards are analyzed in terms of their possible evolution stages. Then, the most suitable stage for implementing the prediction is identified, along with cause and effect variables suitable to characterize its evolution and to assess system safety conditions. The presented
examples show how either empirical or physically-based models may be adopted, and how prediction uncertainty can be considered in setting up the sensitivity of an EWS.

References


GEO-SLOPE: SEEP/W for finite element seepage analysis, GEO-SLOPE International, Calgary, 2004


Sirangelo B., Versace P., Capparelli G.: Forwarning model for landslides triggered by rainfall based on the analysis of historical data file, in Servat E., Najem W., Leduc C.,
Shakeel A. (Eds.), Hydrology of the Mediterranean and Semiarid Regions, IAHS Publ., 278, 298-304, 2003


Table 1

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CAPTIONS

Figure 1. Evolution stages of a collapse mechanism

Figure 2. Evolution stages of collapse mechanism in rainfall-induced landslides featured by rapid kinematic

Figure 3 - Daily and antecedent-bi-monthly rainfalls recorded at the Nocera Inferiore site and corresponding to significant events (red circles are associated with landslide triggering, green circle with rainfall histories similar to those resulting in landslides)

Figure 4. Stochastic approach to early warning: probability of exceeding alert and alarm thresholds of the mobility function at the slope of Pessinetto, predicted in real time (the upper panel reports the observed hyetograph) during the storm of 22.09.1993, when an earth flow occurred 60 hours after the beginning of the rain.

Figure 5. Stochastic approach to early warning: probability of exceeding alert and alarm thresholds of the mobility function at the slope of Pessinetto, predicted in real time (the upper panel reports the observed hyetograph) during the storm of 12.10.2000, when an earth flow occurred 46 hours after the beginning of the rain.

Figure 6. The Nocera Inferiore 2005 landslide area (Pagano et al., 2010, modified)
Figure 7. Prediction of suction evolution over the hydrological year of the Nocera Inferiore 2005 landslide at four different depths and for two different hydraulic conditions at the lowermost boundary (Reder et al., 2017, modified)

Table 1. Stochastic approach to early warning: numbers of launched ($N_{1L}$), false ($N_{1F}$) and missing ($N_{1M}$) alerts at the slope of Pessinetto for three different lead times $t_{pre}$ and three different choices of the probability of alert activation $P_1$. For each lead time, the system carried out 964 predictions between 11 September 1991 and 15 June 2004 (validation period).

Table 2. Stochastic approach to early warning: numbers of launched ($N_{2L}$), false ($N_{2F}$) and missing ($N_{2M}$) alarms at the slope of Pessinetto for three different lead times $t_{pre}$ and three different choices of the probability of alarm activation $P_2$. For each lead time, the system carried out 964 predictions between 11 September 1991 and 15 June 2004 (validation period).
predisposing stage  triggering time  failure propagation  paroxysmal stage

Figure 1

time needed to eliminate people exposure
Figure 2
Figure 3
Figure 4
Figure 5
Figure 7